

Optimization of Electricity Consumption for a Galvanising Plant through Comparative Analysis of Regression Analysis and Genetic Algorithm

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Abstract

Galvanising processes consume excessive amount of energy, and hence energy demand forecasting is a vital economic index for these plants. This paper discusses the relevant electricity consumption drivers for a galvanising plant for a prescribed baseline period. With electricity as the energy source, boundaries conditions were defined over a one year baseline period. The galvanised product tonnage, amount of zinc used, number dips per month, and the ambient temperature conditions were identified as the relevant consumption drivers. Two approaches that include regression analysis and genetic algorithm were used to predict future energy demand for a galvanising plant. The genetic algorithm model was found to be less prone to estimation errors when compared to regression method.

Keywords

Electricity Consumption, Regression Analysis, Genetic Algorithm.

1. Introduction

Several industrial facilities are facing challenges in implementing methodologies used to establish and document energy baselines for improving their energy performance (Kanneganti et al. 2017). It is imperative that industrial facilities deploy appropriate energy performance indicators, which underpin energy-related performance monitoring and measurement. Galvanising processes are characterised by excessive consumption of energy, be it electricity, natural gas or solid fuels, and this driven by several relevant variables such as ambient temperature, production rate, and wind speed on the molten zinc surface (Maaß and Peißker 2011). Galvanising processes consume excessive amount of energy, and hence energy demand forecasting is a vital economic index for these plants. The focus of this paper is to conduct a comparative analysis of regression analysis and Genetic Algorithm and select the best approach for predicting the demand for electricity consumption in a galvanising plant.

2. Related Work

2.1 Hot dip galvanising process

The hot dip galvanizing process is a multifarious metallurgical process whereby a steel material is immersed into a molten zinc or zinc alloy bath that is typically between 450°C and 480°C of temperature (Dewa et al. 2016). Figure 1 illustrates a typical flow diagram for the hot dip galvanising process.

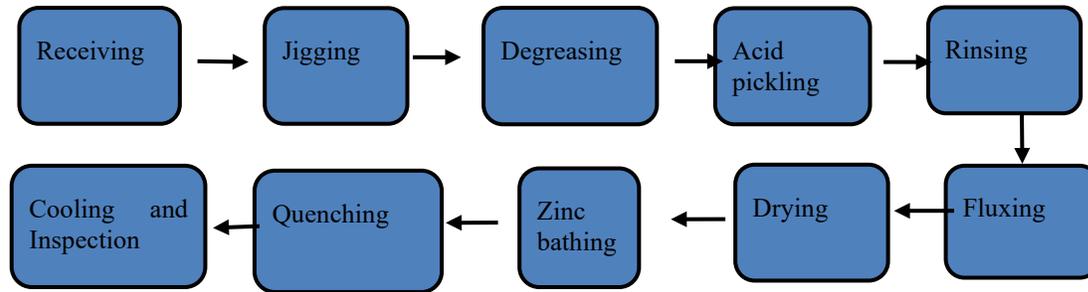


Figure 1. Flow diagram for hot dip galvanising process (Dewa et al. 2016)

The first preparation step is receipt the materials followed by subsequent jigging of the raw steel workpart. The workpart is then taken to the first surface preparation process tank or degreasing tank, that would generally contain a caustic soda solution which would dissolve organic contaminants such as oils and dirt from the steel surface. The tank is also elevated to a temperature of about 80° C and liquid agitation can be deployed to fasten the cleaning process. Pickling is the second surface preparation step whereby the degreased steel is immersed into a tank containing an acidic solution such as sulphuric acid, which would eliminate any mill scale or oxides that may have accumulated on the steel surface (Liu et al. 2019). Sulphuric acid can also be heated to a temperature of about 60°C to increase the cleaning action. Fluxing is the third surface preparation step is which is characterised by the application of zinc ammonium chloride, a fluxing chemical coating, onto the surface of the steel workpart. The third surface preparation step is fluxing which involves the application of a fluxing chemical coating, zinc ammonium chloride, onto the surface of the steel part. The workpart is thereafter left to dry at room temperature and then dipped into a furnace or kettle that is generally set at 600°C. The final steps for the galvanising process are quenching, cooling and inspection for any defects such as un-galvanised weld areas, stains and flakes.

2.2 Specific energy consumption

Several studies have embraced specific energy consumption (SEC) as an indicator for improvement in energy efficiency in facilities. Close monitoring of the SEC value in production processes is significant given the intense global market competition and increasing environmental concerns surrounding the manufacturing sector. There has been a growing interest in conducting in-depth analysis of the pros and cons of using SEC, given the increasing importance of monitoring improved industrial energy efficiency and the rising popularity of SEC as a key performance indicator for an energy monitoring (Lawrence et al. 2019). The use of SEC is simple and is one of the basic approaches for calculating energy usage per unit of a product. The average energy consumed, the quantity of energy consuming devices, and the quantity produced during the period of interest are used for the calculation of SEC (Palamutçu 2015).

ISO 50006:2017 makes provision for establishing energy baselines (EnBs) and energy performance indicators (EnPIs), covers the process of measuring energy performance, and determining whether the energy performance meets the targets set by the organisation (International Standard Organization 2017). ISO 50006:2017 states energy performance as the measurable results that are related to energy efficiency or energy use, of which the results can be expressed as SEC such as kWh per unit. In circumstances where several forms of energy are used, a conversion can be done to a common unit of measure, and that should be performed in such a manner that it embraces the total energy used as well as energy losses. Deng et al. (2017) developed an the optimisation model that optimised the process parameters, specific energy consumption and minimum processing time under the actual constraint conditions of a manufacturing process to reduce the energy consumption of a machine tool.

2.3 Regression analysis

Regression analysis is a statistical approach for estimating the relationships between variables or the extent to which one dependent variable relates to one or more independent variables (Therkelsen et al. 2016). Regression models have proved to be reliable in situations where the input data embraces the full annual variation in operating conditions and is generally employed for deriving energy savings estimates through the measurement and verification of energy efficiency projects. Regression modelling on energy consumption uses the relevant variables and baseload and it can be more complex if the scenario is non-linear, may clouded by uncertainty if multiple relevant drivers are considered, and would require some adjustments if there is a change in operational conditions (Amber et al. 2017). In order to

estimate a single regression model with more than one outcome variable, multivariate regression technique can be used. An R^2 of 0.75 indicates a reasonable correlation between energy consumption and dependent variable, 0.9 or above is very good, while an R^2 much below 0.7 or so is likely an indication of poor control, or room for improvement of the analysis methodology (Moletsane et al. 2018).

2.4 Genetic Algorithm

A Genetic Algorithm (GA) is comparable to a natural evolution process whereby a population of a specific species acclimatises to the natural surroundings under consideration, where a population is created and then left to evolve in order to adapt to its surroundings or environment (Nzanywayingoma and Yang 2017). Genetic algorithms emulate the evolutionary process of species that replicate in their habitat and focus on a set of current solutions called population. Through a mechanism called crossover that combines part of the genetic features of each parent, new candidates for the solution are generated, unto which random mutation is applied. If the new offspring inherits desirable traits from the parents it will have a higher chance of surviving (Mirjalili et al. 2020). A crucial advantage of a GA lies in its ability to utilise accumulative information from initial unknown search space to conduct subsequent searches in the global space. The chromosome is a key feature of GAs that is coded as a string of characters and linked to the problem at hand through a fitness function (Guha et al. 2019). Given the complexity of the NP-hard problem, using a genetic algorithm, Cohen et al. (2019) developed a decision support flexible scheduling system for continuous galvanising lines. The scheduling solution predicted a continuous galvanization line sequences to reduce costs and improve productivity.

3. Methodology

The first step was to determine the relevant variables using a multivariate regression analysis, considering the number dips per day, amount of zinc used, galvanised product tonnage, and the ambient temperature conditions as the four relevant variables. Specific energy consumption (SEC) was then computed to assess energy performance in kWh per unit. A scatter plot and baseline regression model were then developed to assess the correlation between the electricity consumption and amount of zinc used by the galvanising process. A real coded genetic algorithm was then applied to predict energy demand for the galvanizer using the relevant variables stated in the regression model.

The basic flowchart of the GA is described as:

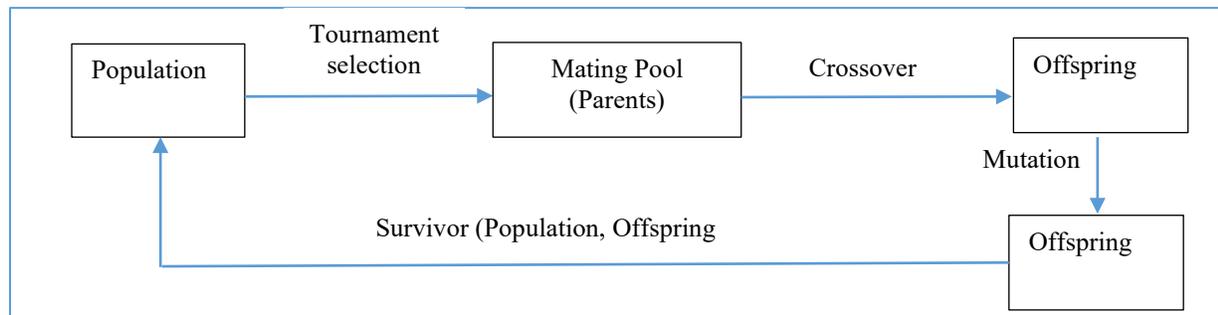


Figure 2. GA basic flow chart

The fitness function, $f(x)$, is described as:

$$\text{Min } f(x) = \sum_{j=1}^n (E_{\text{Actual}} - E_{\text{Predicted}})^2 \quad (1)$$

where n is the number of observations, and E_{Actual} and $E_{\text{Predicted}}$ are the actual and predicted energy consumption. Forecasting of energy demand for the galvanizer was thereafter executed and the pseudocode for fitness function is described as follows:

Input: Fitness function, lb , up , N_p , T , p_c , p_m , η_c , η_p , k

where lb is the lower bound, up is the upper bound, p_c is crossover probability, p_m is mutation probability, η_c is the distribution index for crossover, η_p is the distribution index for polynomial mutation

1. Initialise random population (P)
2. Evaluate fitness (f) of P

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for t = 1 to T
  Perform tournament selection of tournament size, k
    for i = 1 to  $N_p/2$ 
      Randomly choose two parents
      if  $r < p_c$ 
        Generate two offspring using SBX-crossover
        Bound the offspring
      else
        Copy the selected parents as offspring
      end
    end
  end
  for i = 1 to  $N_p$ 
    if  $r < p_m$ 
      Perform polynomial mutation of  $i^{th}$  offspring
      Bound the mutated offspring
    else
      No change in  $i^{th}$  offspring
    end
  end
  end
  Evaluate the fitness
  Combine population ( $\mu$ ) and offspring ( $\lambda$ ) to perform ( $\mu + \lambda$ )
End

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where N_p is population size, r is random number,

Simulated Binary Crossover (SBX) simulates the single point crossover on binary strings, requiring two parents to generate two offsprings. The offsprings, O_a and O_b have a spread that is proportional to that of the parents, P'_a and P'_b derived through the equation:

$$O_a - O_b = \beta(P'_a - P'_b) \quad (2)$$

where β is computed through

$$\beta = \begin{cases} (2u)^{\frac{1}{\eta_c+1}} & \text{if } u \leq 0.5 \\ \left(\frac{1}{2[1-u]}\right)^{\frac{1}{\eta_c+1}} & \text{otherwise} \end{cases} \quad (3)$$

Where u is a random number and η_c is the distribution index for crossover.

The offsprings are generated through:

$$O_a = 0.5[(1 + \beta)P'_a + (1 - \beta)P'_b] \quad (4)$$

$$O_b = 0.5[(1 - \beta)P'_a + (1 + \beta)P'_b] \quad (5)$$

For polynomial mutation, δ was computed as:

$$\delta = \begin{cases} (2r)^{\frac{1}{\eta_m-1}} & \text{if } r < 0.5 \\ 1 - [2(1 - r)]^{\frac{1}{\eta_m+1}} & \text{if } r \geq 0.5 \end{cases} \quad (6)$$

Where η_m is the probability distribution mean

The offspring that is generated is described as:

$$y = O + (ub - lb)\delta \quad (7)$$

Where O is the offspring solution, y is the offspring solution after mutation, ub is the upper bound and lb is the lower bound.

4. Results and Discussion

4.1 Determination of relevant variables

A multivariate regression analysis was carried out to determine the predictor variables for electricity consumption by the galvaniser. The number dips per day, amount of zinc used, galvanised product tonnage, and the ambient temperature conditions were considered as the four relevant variables. Table 1 shows the relevant variables as well as electricity consumption data.

Table 1. Data for relevant variables and electricity consumption

Month	Dips per month	Zinc used (Tons)	Product tonnage (tons)	Ambient Temperature (°C)	Electricity used (kWh)
Jan	850	52069	691471	25	270236
Feb	814	47305	681573	26	250718
Mar	935	52254	691971	27	270935
Apr	875	51101	691571	24	264703
May	1050	56354	696571	20	291350
Jun	830	49783	684571	18	257878
July	970	53799	691931	18	282982
Aug	890	54419	691571	19	282981
Sept	910	49760	689507	20	262950
Oct	1120	56878	715047	22	286599
Nov	1270	62025	817006	25	294730
Dec	810	48970	623416	26	233414

Table 2 shows the regression statistics for all four relevant variables, and at 95% confidence level, reveals that although a good R^2 value of 0.84 was derived, all the p-values (probability that X and Y not related) were found to be greater than 0.05. This is an indication that the four variables could not be used to derive an energy consumption model for the process.

Table 2: Regression statistics for all four relevant variables

Multiple R	R Square	Adjusted R Square	Standard Error	Observations
0.91774574	0.84225725	0.75211853	9017.52032	12
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>
Intercept	69701.9853	76392.9	0.912414	0.39189
Dips per day	-22.291143	61.94764	-0.35984	0.729579
Zinc used	3.83600441	1.977604	1.939723	0.093573
Product tonnage	0.07281634	0.122101	0.596362	0.569708
Ambient Temperature	-1401.8411	836.403	-1.67604	0.137637

It was then imperative to conduct further analysis using different combinations of 3 and 2 relevant variables and the results demonstrated that R^2 was improving but the p-values were above 0.05. It was anticipated that the ambient temperature variable would have an influence on electricity consumption for the galvanising process, but given that the galvanising kettles (the significant energy users) operated at around 400°C, while maximum ambient temperature has a range of 18°C to 27°C, the effect of temperature could be negligible. This was validated by the results shown in Table 3 where the regression statistics demonstrated that the zinc used and ambient temperature could not be used to derive an energy consumption model for the galvanising process.

Table 3: Regression statistics for zinc used and ambient temperature as relevant variables

Multiple R	R Square	Adjusted R Square	Standard Error	Observations
0.913133783	0.833813306	0.79688293	8162.784182	12
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>
Intercept	102210.3111	37581.92181	2.719666961	0.023620688
Zinc used	3.761666648	0.603954341	6.228395741	0.000153549
Ambient Temperature	-1350.526174	734.3480132	-1.839081947	0.099056051

The best results were realised from the amount of zinc used for the galvanising process and the results shown in Table 4 exhibit an R^2 value of 0.7713, significance F of 0.00017, and p- value of 0.000171. The significance F and p- value for amount of zinc used at 95% confidence level was found to be statistical significant, inferring that the results were not by chance and thus was used to derive an energy consumption model for the galvanising process. Hence, the amount of zinc used for production was the main driver for electricity consumption.

Table 4: Regression statistics for zinc used as relevant variable

Multiple R	R Square	Adjusted R Square	Standard Error	Observations
0.878270991	0.7713	0.7484	9083.173597	12
ANOVA				
df	SS	MS	F	Significance F
1	2783427841	2783427841	33.73686614	0.00017
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>
Intercept	65514.62738	35438.53028	1.848683533	0.094248287
Zinc used	3.880942071	0.668166644	5.808344527	0.000171

4.2 Specific energy consumption

Energy performance can be measured in terms of energy efficiency or energy use, embracing the total energy used as well as energy losses, expressed as SEC such as kWh per unit. Figure 4 shows the Specific energy consumption (SEC) for the galvaniser, in kWh per tonne of zinc used. The organisation set a target of 5 kWh per tonne but has been failing to achieve the set target from January to October, except in November and December where there was less production due to annual shutdown and festive season holiday, yet fully utilising the operational hours during the period.

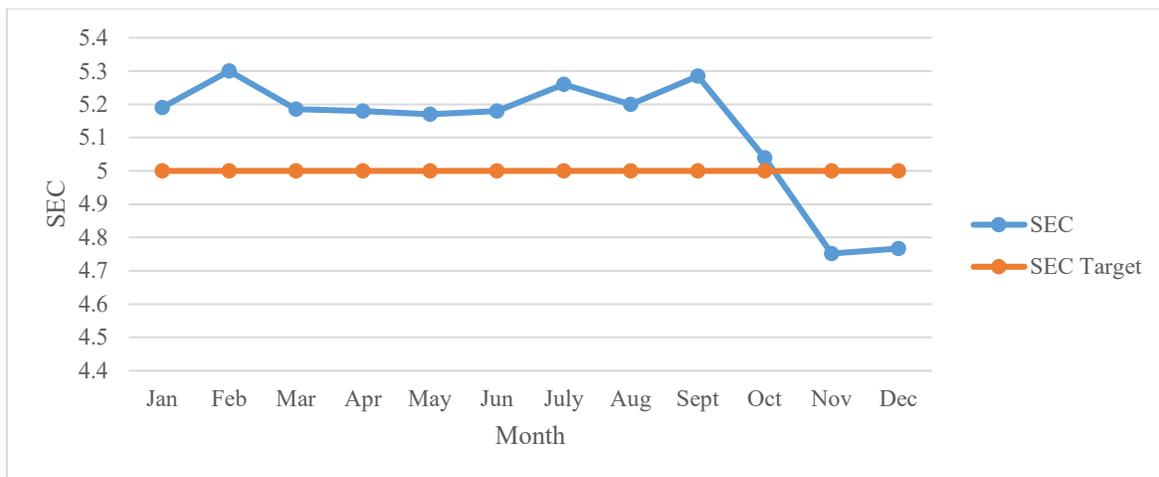


Figure 3. Specific energy consumption

4.3 Scatter plot and baseline regression model

The results from Table 4 were used to develop a regression model shown in Figure 2. A strong correlation between the electricity consumption and amount of zinc used by the galvanising process is shown by the scatter plot.

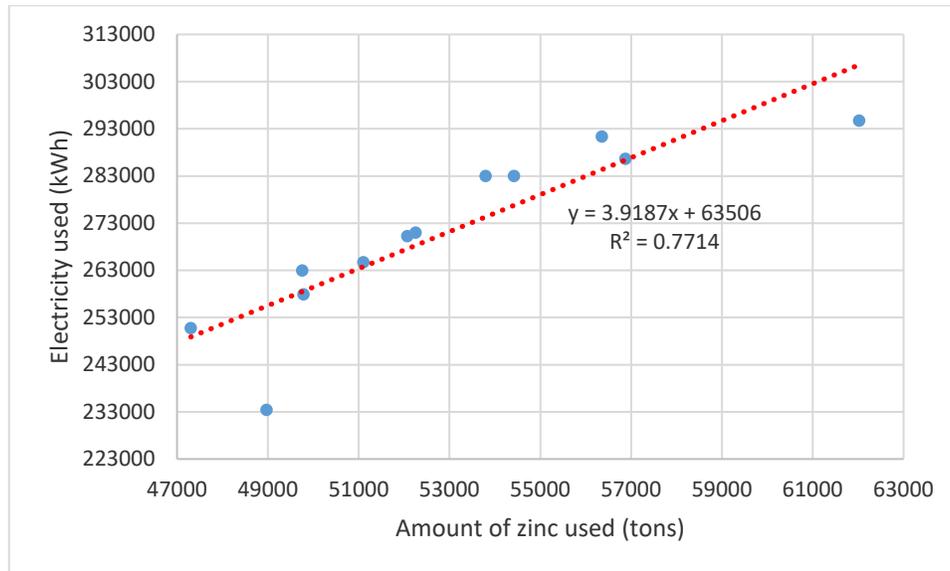


Figure 4: Scatter plot for zinc used against electricity consumption

The red dotted line shows the baseline equation, with a high baseload of 63506 kWh since the zinc must be kept molten at around 600°C in the galvanising kettle, even during non-working hours and over the weekend. Figure 3 shows a graph for actual consumption against expected consumption during the baseline period.

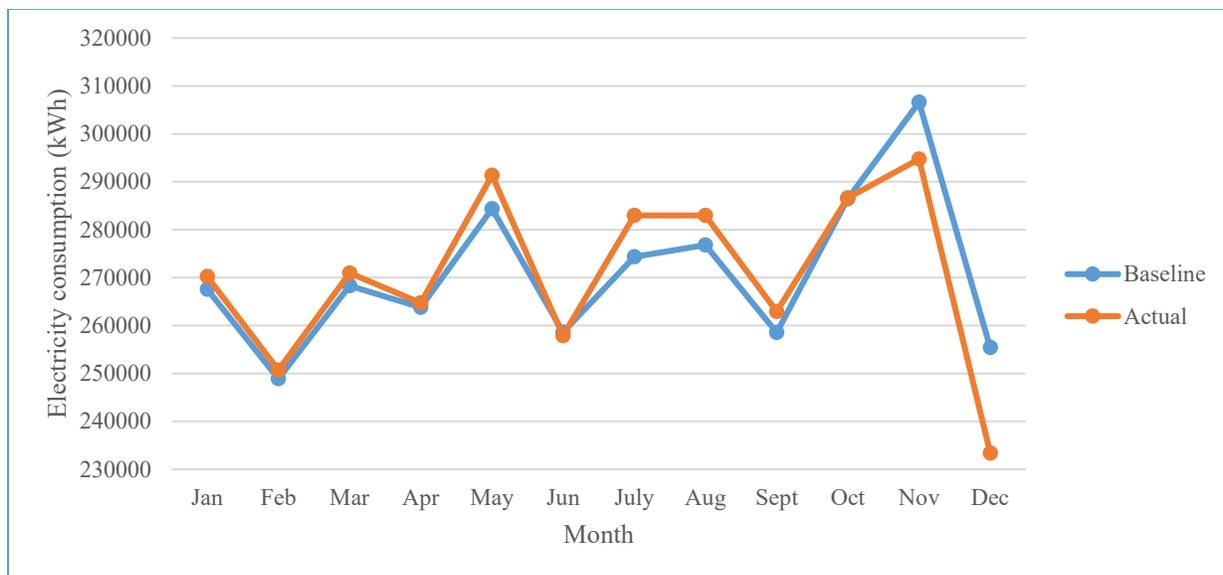


Figure 5: Actual consumption and expected consumption during baseline period

4.4 Results of Genetic Algorithm

This section focuses on the application of GA to predict energy demand for the galvanizer using the relevant variables stated in the regression model. The required parameters on GA algorithm that were used derive the best fitness, are as follows:

- Population size : 50

- Number of the generation (Iterations): 100
- Distribution index for crossover: 20
- Distribution index for polynomial mutation: 20
- Crossover rate: 0.8
- Mutation rate: 0.2

The fitness function, $f(x)$, is described as:

$$\text{Min } f(x) = \sum_{j=1}^n (E_{\text{Actual}} - E_{\text{Predicted}})^2 \quad (8)$$

where n is the number of observations, and E_{Actual} and $E_{\text{Predicted}}$ are the actual and predicted energy consumption. Forecasting of energy demand for the galvanizer was executed by using the regression model in the form:

$$y = 3.9187x + 63506$$

Figure 6 shows the results for actual and estimated values for regression and GA.

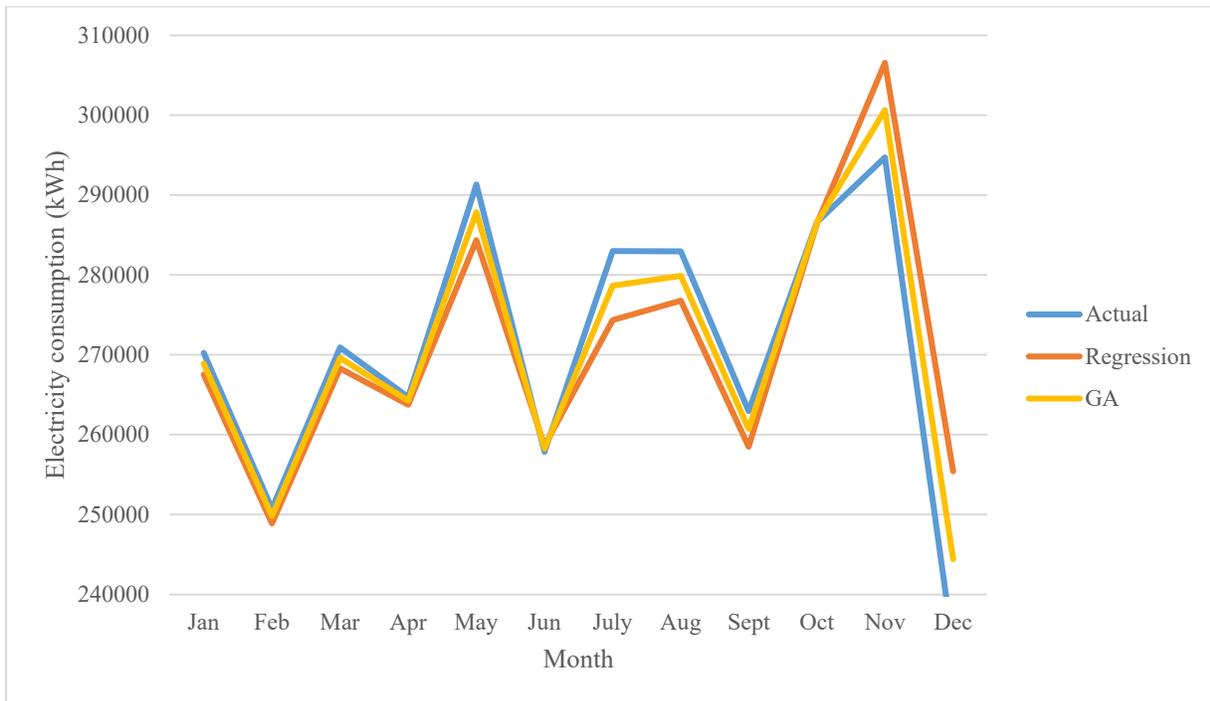


Figure 7. Results for actual and estimated values for regression and GA

Mean absolute deviation (MAD) was then calculated as:

$$\text{MAD} = \frac{\sum |E_{\text{Actual}} - E_{\text{Predicted}}|}{n} \quad (9)$$

Ideally, larger values of MAD indicate a less accurate model while a zero MAD means no forecasting error. Mean absolute percent error (MAPE) was then used to assess the prediction accuracy of regression analysis and genetic algorithm as forecasting methods for electricity demand.

$$\text{MAPE} = \frac{1}{n} \sum_{t=1}^n \left| \frac{E_{\text{Actual}} - E_{\text{Predicted}}}{E_{\text{Actual}}} \right| \quad (10)$$

Table 6 shows the relative error between actual and estimated values for regression and GA, and it was noted that GA had MAPE of 1.09% while regression analysis had MAPE of 2.18%.

Table 5. Relative error between actual and estimated values for regression and GA

Month	Actual	Regression	Regression MAPE	GA	GA MAPE
Jan	270236	267563	0.009891	268900	0.004944
Feb	250718	248895	0.007271	249800	0.003661
Mar	270935	268288	0.00977	269615	0.004872
Apr	264703	263771	0.003521	264260	0.001674
May	291351	284357	0.024005	287850	0.012016
Jun	257878	258607	0.002827	258247	0.001431
July	282987	274343	0.030546	278665	0.015273
Aug	282981	276776	0.021927	279880	0.010958
Sept	262950	258515	0.016866	260735	0.008424
Oct	286599	286411	0.000656	286515	0.000293
Nov	294730	306582	0.040213	300660	0.02012
Dec	233414	255419	0.094275	244425	0.047174
	Average MAPE		0.021814		0.010903

5. Conclusion

A multivariate regression analysis was carried out to determine the predictor variables for electricity consumption by the galvaniser and the amount of zinc used for the galvanising process was used to derive an energy consumption model for the process. A strong correlation between the electricity consumption and amount of zinc used by the galvanising process was noted from the scatter plot and a baseline regression model was derived. GA was applied to predict energy demand for the galvanizer using the relevant variables stated in the regression model. The results demonstrated that the estimations from genetic algorithm were closer to the actual data with less MAPE than that of estimated by regression, an indication that GA was more accurate than regression.

6. References

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